

# Chapter 5

## Work and Energy

# Work

Section 5-1 page 160

Define work done on an object by a force as

$$(\text{Work}) = (\text{Force}) \times (\text{Displacement})$$

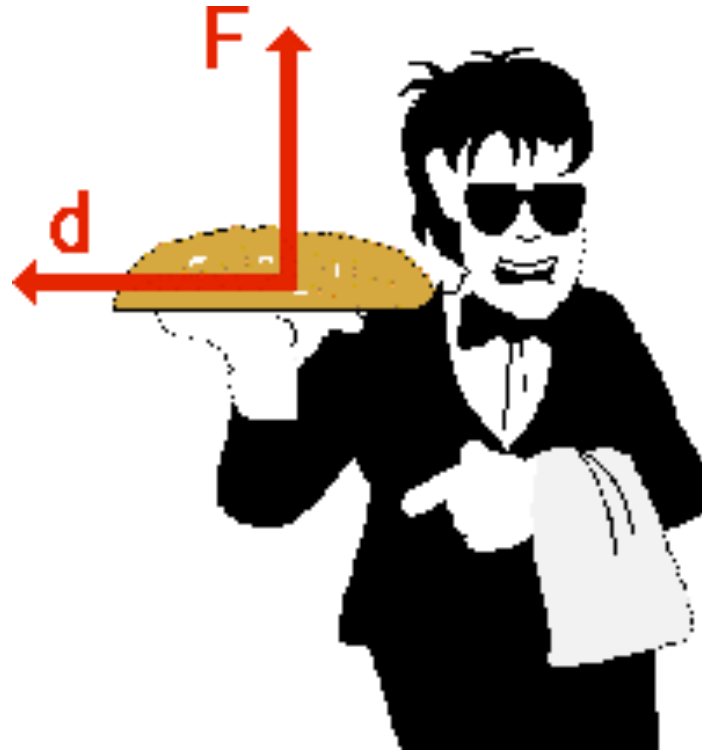
Force acting in direction of motion: Positive work.

Force acting in opposite direction: Negative work.

Force perpendicular to motion: Zero work

Is any work being done on the food as  
the waiter carries it?

No! The force is perpendicular to the  
displacement!

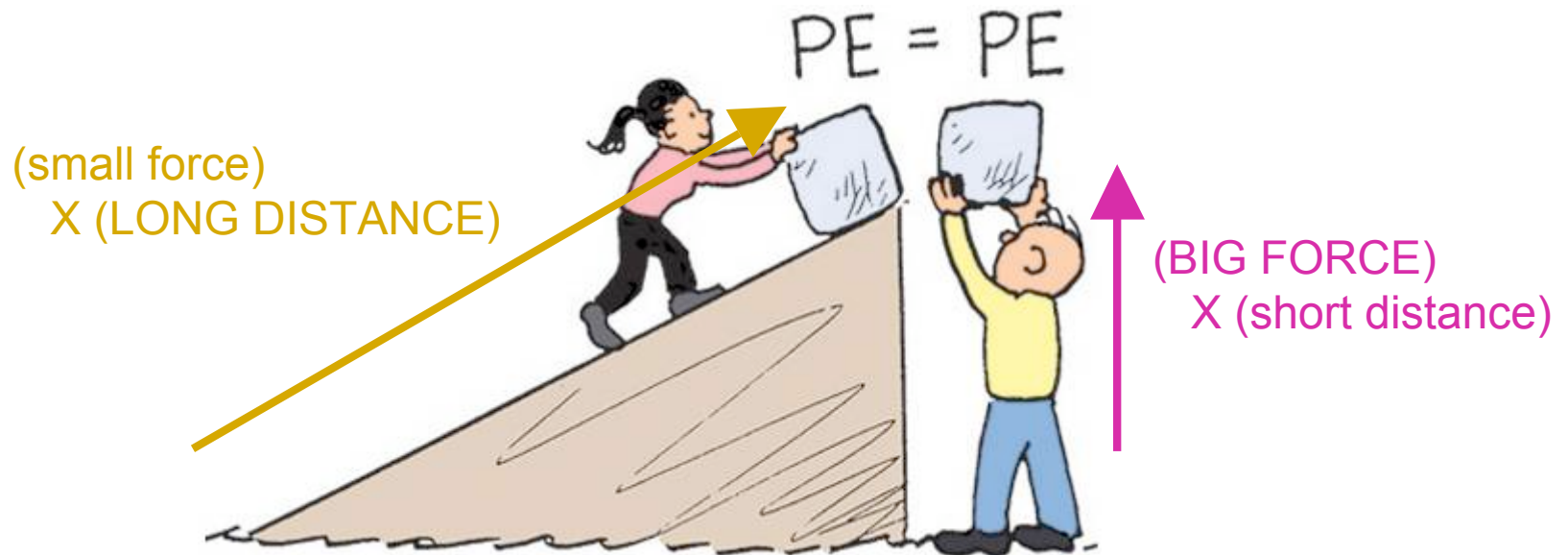


# Vector or Scalar

- Since work is calculated by multiplying a force (vector) by displacement (vector), it becomes a **scalar**
- A vector quantity multiplied or divided by a vector quantity makes a scalar quantity
- Since work is a scalar, you don't need to worry about direction, only whether it's **positive** or **negative**

# Work & Energy

When forces do work on an object, the work done equals the change in energy.



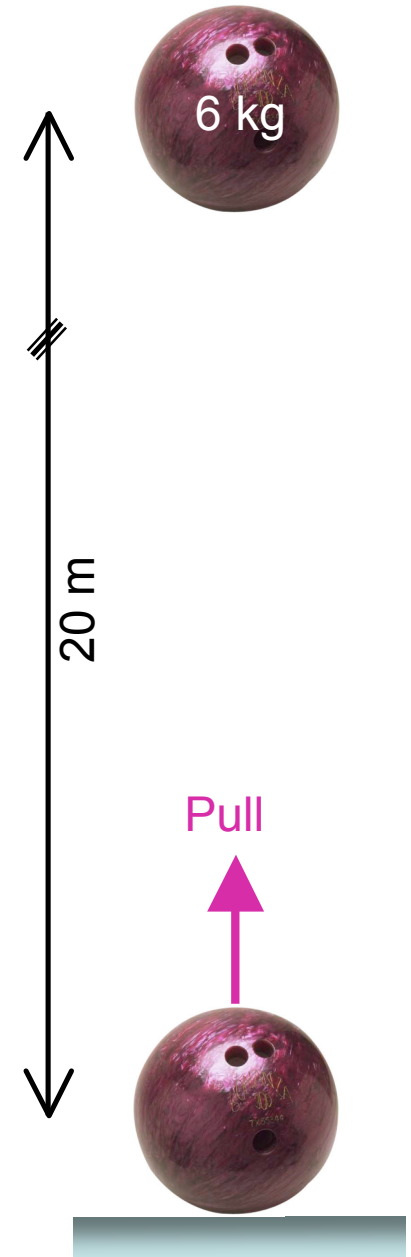
Two persons do the same work in different ways.

# Sample Problem

How much work do you do in lifting a 6 kg bowling ball a distance of 20 meters by pulling up with a force equal to its weight?

Since weight is 60 Newtons, work done on the ball is

$$\begin{aligned}(\text{Work}) &= (\text{Force}) \times (\text{Distance}) \\&= (60 \text{ N}) \times (20 \text{ m}) \\&= 1200 \text{ Joules}\end{aligned}$$



# Work units!

- The units used to measure work are Joules
- 1 Joule (J) = 1 N-m

## Sample Problem

(work done by a force at a different angle)

Fido is pulled backwards by his owner with a force of 25 N in the leash at an angle of  $34^\circ$ . Fido is pulled back a distance of 1.5 m. How much work was done by the owner?

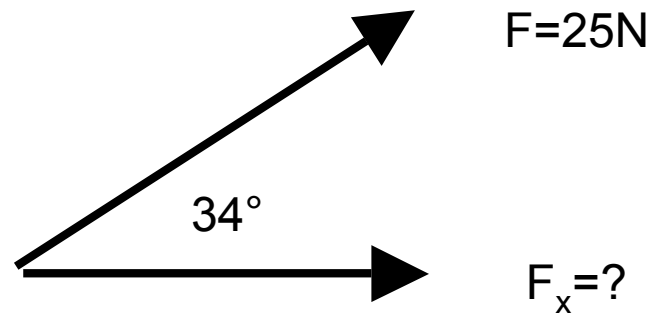


Only the horizontal component of the force ( $F \times \cos \theta$ ) causes a horizontal displacement.



# Solution

- The component of force that lies along the same direction of motion is what does the work.
- Find the horizontal component.



## Solution (continued)

- $F_x = F \cos \vartheta = 25 \text{ N} \cos (34^\circ) = 20.7 \text{ N}$
- Therefore:  $W = F_x D = F \cos \vartheta D$
- $W = 20.7 \text{ N} \times 1.5 \text{ m} = \mathbf{31.1 \text{ Joules}}$
- So, from now on, the more accurate formula to find work is  $W = F \cos \vartheta D$
- Where  $\vartheta$  is the angle between the force vector and the displacement vector.

# Practice!

Example as class: page 163 #2

Individual practice: Page 162 #'s 1-4

Answer questions 1 and 2 on page 163